## MONODROMIC SINGULAR POINTS IN SWITCHING CURVES OF PLANAR PIECEWISE ANALYTICAL DIFFERENTIAL SYSTEMS

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Consider an analytical function  $f: V \subset \mathbb{R}^2 \to \mathbb{R}$  having 0 as its regular value, a switching manifold  $\Sigma = f^{-1}(0)$  and a piecewise analytical vector field  $X = (X^+, X^-)$ , i.e.  $X^{\pm}$  are analytical vector fields defined on  $\Sigma^{\pm} = \{p \in V : \pm f(p) > 0\}$ . We characterize when the vector field X has a monodromic singular point in  $\Sigma$ , called  $\Sigma$ -monodromic singular point. Moreover, under certain conditions, we show that a  $\Sigma$ -monodromic singular point of X has a neighborhood free of limit cycles.

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